

Large Model notation:

Endogenous Variables

Y	GDP at factor cost
P	Consumer Price Level
INFL	Percentage growth rate of P (year-on-year)
MON	Nominal Money Stock (M0)
RW	Real wages (Average Earnings/Price)
U	Unemployment
Q	Output deviation from trend (Y/YSTAR)
AFC	Adjustment to factor cost
EG	real government spending on goods and services
BDEF	interest-exclusive budget deficit (deflated by CPI)
PSBR	public sector borrowing requirement (deflated by CPI)
XVAL	real current account of balance of payments
XVOL	same, at constant terms of trade
RS(RL)	real short term (log term) interest rate
NRS (NRL)	nominal short term (long term) interest rate
M0	real money balances (M0)
G	real private stock of durable goods, including inventories
W	real private stock of wealth
FIN	real private stock of financial assets (net)
CON	real private non-durable consumption
RXR	real exchange rate (relative CPI, UK v. ROW)
RDI	real debt interest
GINV	gross private investment in durables plus stockbuilding

Exogenous Variables

MTEM	Temporary growth of money supply
PEQ	Growth of money supply
BO	Employers national insurance contributions
UNR	Trade Unionisation rate
LO	Average amount lost in taxes and national insurance
TREND	Time trend

LARGE MODEL ANNEX

Listing of the Liverpool Model

Behavioural equations

1. $\log(EG_t) = \log(EGSTAR_t) + A39 \times \log(Y_t / YSTAR_t)$
2. $XVOL_t = A40 \times YSTAR_t \times \{ A27 \times \log(WT_t) + A28 \times \log(Y_t) + A47 + A29 \times \{ ESTAR_t + 0.6 \times \{ RXR_t - ESTAR_t \} \} + A30 \times \{ XVOL_{t-1} / \{ A40 \times YSTAR_{t-1} \} \}$
3. $XVAL_t = XVAL_{t-4} + \{ XVOL_t - XVOL_{t-4} \} + A31 \times \{ 0.32 \times YSTAR_t \times \{ RXR_t - RXR_{t-4} - ESTAR_t + ESTAR_{t-4} \} \} + A32 \times XVAL_{res,t-1}$
4. $\log(M0_t) = A44 + A13 \times \log(M0_{t-1}) + A14 \times \{ \log(Y_t) + \log(1 - TAX_t) \} + A16 \times TREND_t + A17 \times NRS_t + A18 \times VAT_t$
5. $\log(U_t) = A42 + A3 \times \log(Y_t) + A4 \times \{ \log(RW_t) + \log(1.0 + BO_t) + \log(1.0 + VAT_t) \} + A5 \times TREND_t + A6 \times \log(U_{t-1}) + A36 \times U_{res,t-1}$
6. $\log(G_t) = A45 + A19 \times RL_t + A20 \times \{ \log(G_{t-1}) - \log(FIN_{t-1}) \} + A21 \times \{ \log(G_{t-1}) - \log(G_{t-2}) \} + \log(G_{t-1})$
7. $\log(CON_t) = A46 + A22 \times RL_t + A23 \times \log(W_t) + A24 \times QEX_t + A25 \times \log(CON_{t-1})$
8. $\log(RW_t) = A43 + A7 \times UNR_t + A8 \times \{ \log(UB_t) + \log(1.0 + LO_t) \} + A9 \times \log(U_t) + A37 \times \log(RW_{t-1}) + \{ .095 \} \times UNR_t \times \{ -A10 \} + A10 \times \log(RW_{t-2}) + A11 \times ETA_t + A12 \times ETA_{t-1}$
9. $RXR_t = A41 + 0.000 + A1 \times \{ \log(RW_t) + \log(1.0 + BO_t) \} + A53 \times \{ \log(P_t) - \log(P_{t-4}) \} + \{ 1 + A1 \} \times \log(1 + VAT_t) + A2 \times TREND_t + A35 \times RXR_{res,t-1}$

Identities and calibrated relationships

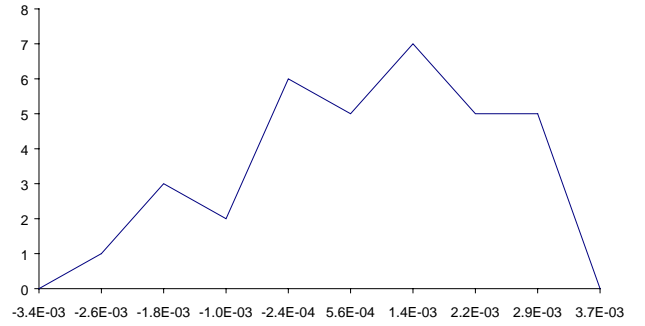
10. $RS_t = \{ RXR_t - EEX_t \} + RSUS_t$
11. $NRS_t = PEXP_t + RS_t$
12. $RL_t = \{ RXR_t - EEXL_t \} / 5.0 + RLUS_t$
13. $NRL_t = RL_t + PEXL_t$
14. $Y_t = GINV_t + CON_t + EG_t + XVOL_t - AFC_t$
15. $INFL_t = \log(MON_t) - \log(MON_{t-4}) - \log(M0_t) + \log(M0_{t-4})$
16. $\log(P_t) = \log(P_{t-4}) + INFL_t$
17. $W_t = FIN_t + G_t$
18. $BDEF_t = EG_t - 2.0 \times TAX_t \times Y_t + TAX0 \times Y0$
19. $AFC_t = Y_t \times \{ 0.6588318 \times \{ AFC_{t-1} / Y_{t-1} \} + 0.1966416 \times \{ AFC_{t-3} / Y_{t-3} \} + 0.1454006 \times \{ AFC_{t-4} / Y_{t-4} \} + \}$
20. $PSBR_t = BDEF_t + RDI_t$
21. $RDI_t = -.5 \times \{ NRL_{t-1} / 4.0 \} \times FIN_{t-1} \times \{ \{ \{ P_t / P_{t-1} \} ^{.66} - 1.0 \} + PSBR_t \times \{ .32 \times \{ NRS_t / 4.0 \} + .5 \times \{ NRL_t / 4.0 \} \} + .32 \times \{ NRS_t / 4. \} \} \times FIN_{t-1} - .32 \times \{ NRS_{t-1} / 4. \} \times FIN_{t-1} + RDI_{t-1}$
22. $GINV_t = G_t - G_{t-1} + A38 G_{t-1}$

The –star variables YSTAR, USTAR, ESTAR and WSTAR are the equilibrium values of Y, U, RXR and RW respectively, found by solving equations 2,5,8 and 9 under the conditions that XVOL=0 and exogenous variables maintain their current values; EGSTAR is the value of EG that would produce a constant debt/GDP ratio with Y=YSTAR.

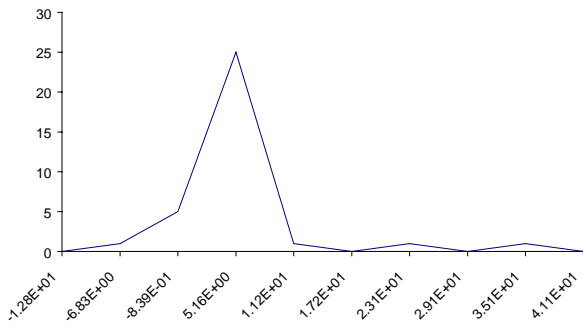
LARGE MODEL ANNEX

Appendix L1 Large Model Equation error distributions

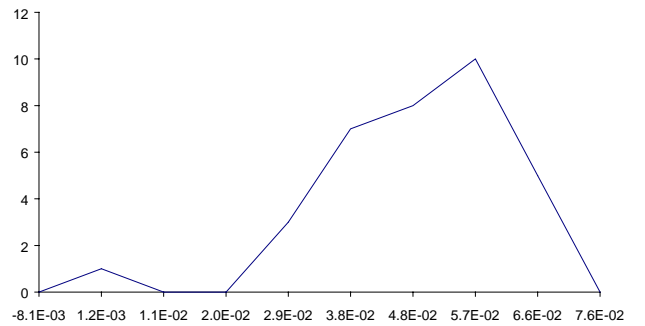
Error Distribution EG



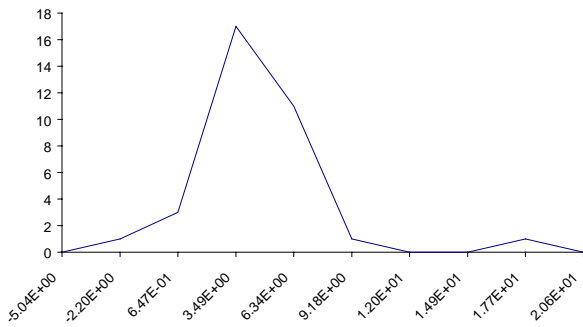
Error Distribution XVOL



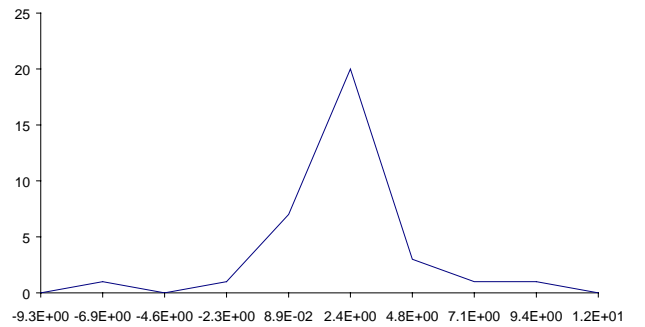
Error Distribution U



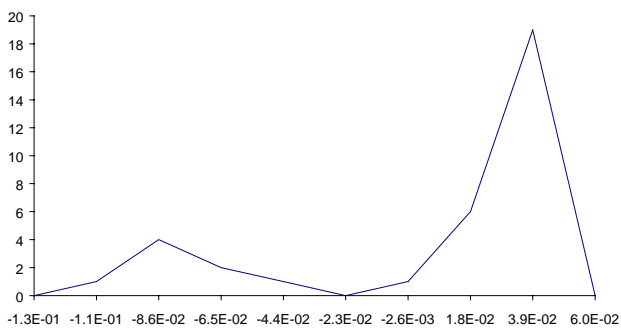
Error Distribution XVAL



Error Distribution G

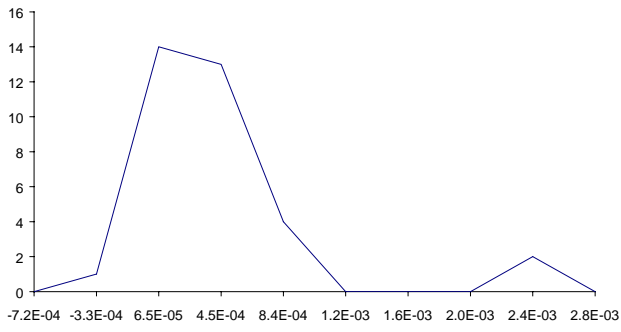


Error Distribution M0

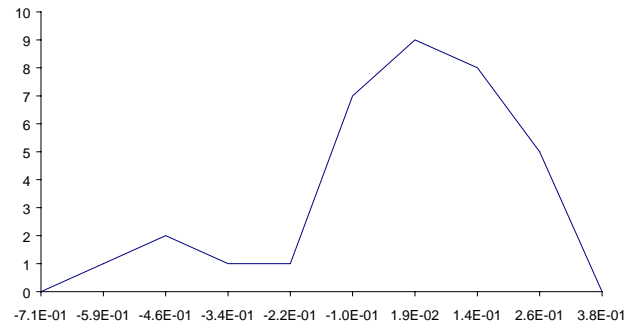


LARGE MODEL ANNEX

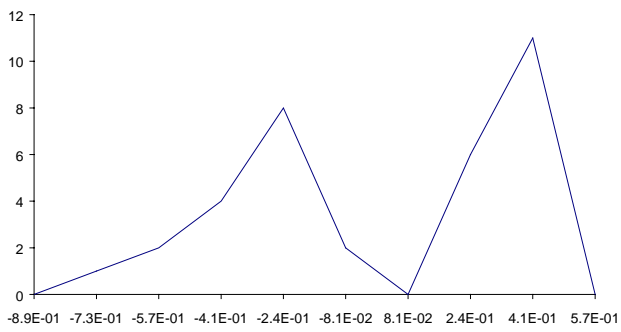
Error Distribution: Consumption



Error Distribution: RXR

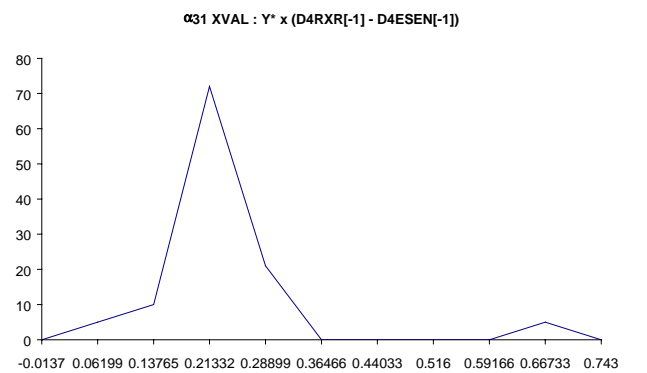
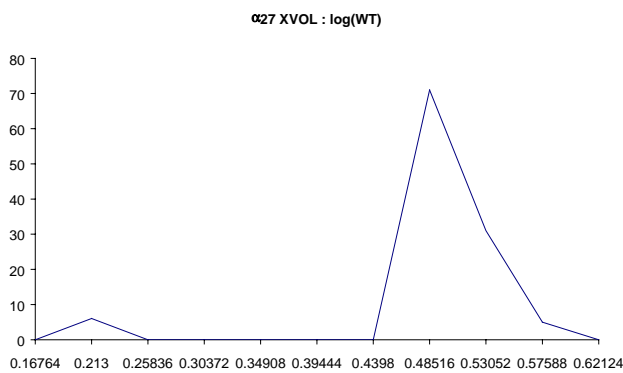
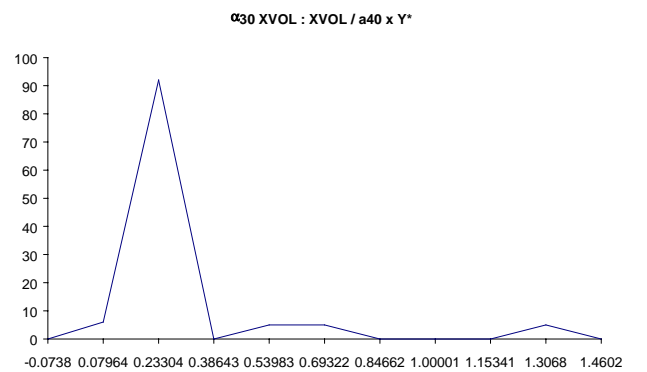
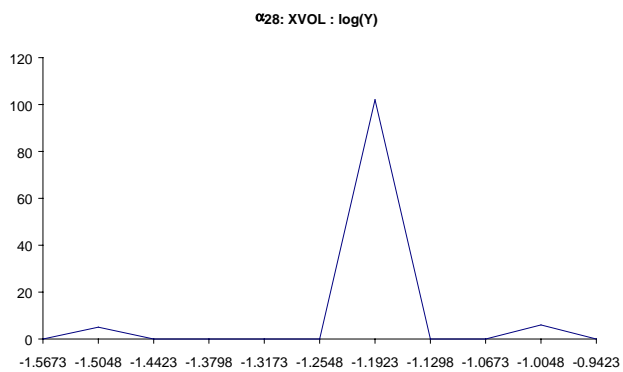
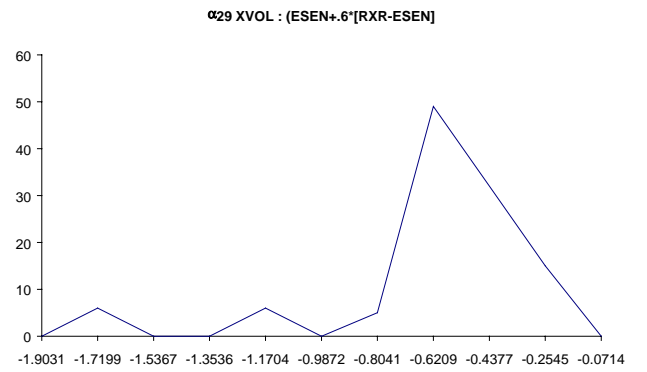
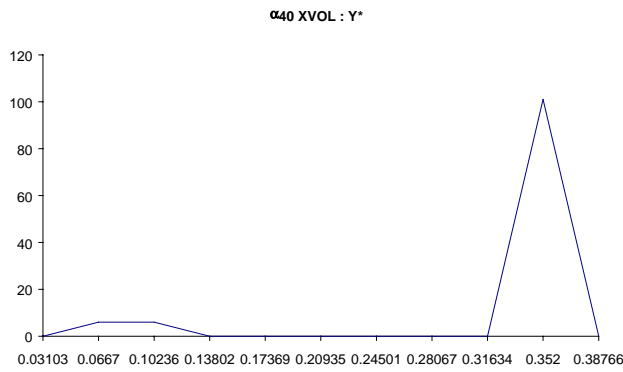
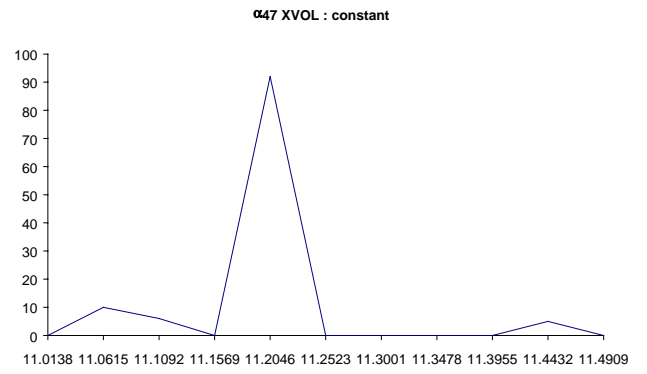
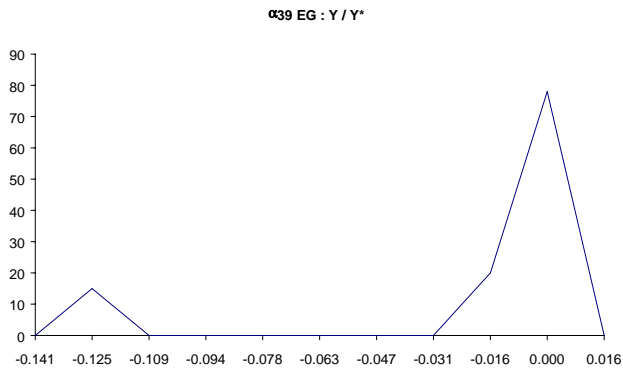


Error Distribution: RW



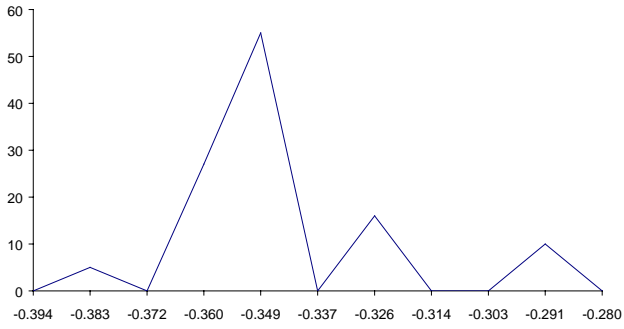
LARGE MODEL ANNEX

Appendix L2 Large Model Parameter Distributions

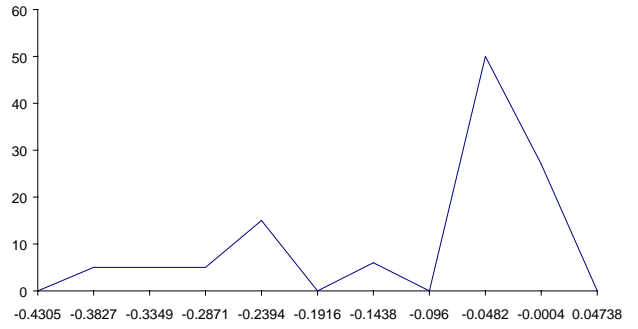


LARGE MODEL ANNEX

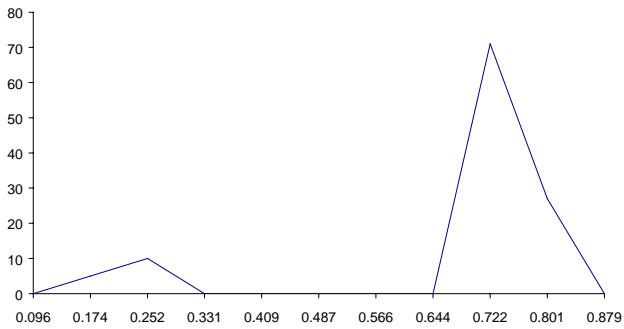
α_{44} M0 : constant



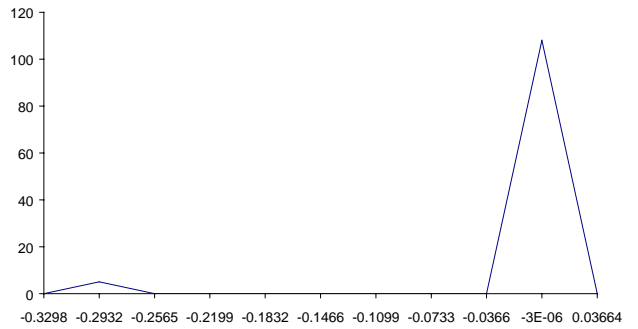
α_{17} M0 : NRS



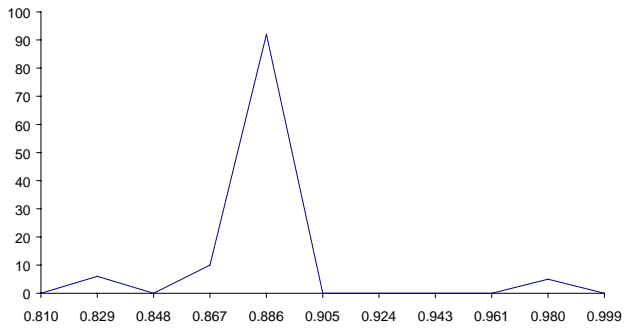
α_{32} XVAL : autocorrelation coefficient



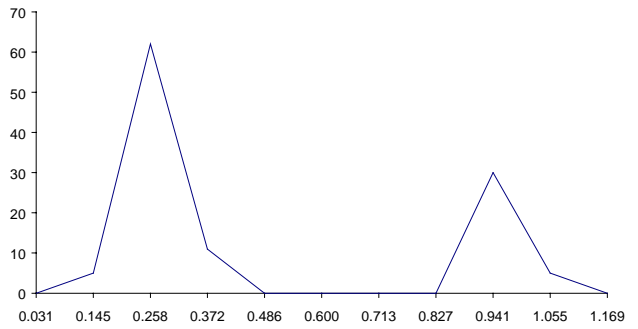
α_{16} M0 : Trend



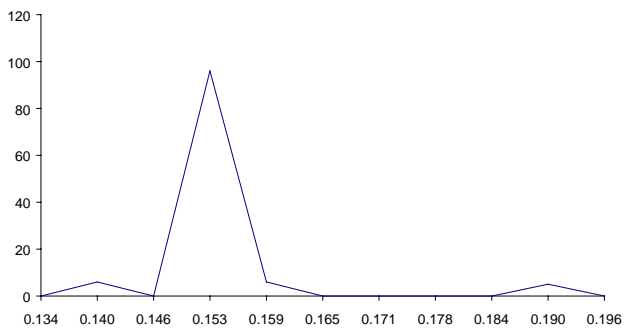
α_{31} M0 : log(M0[-1])



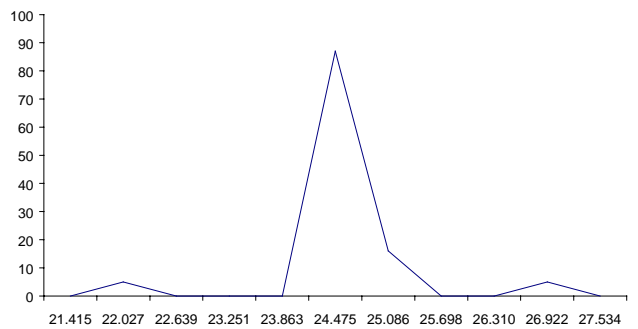
α_{18} M0 : VAT



α_{14} M0 : log(Y)+log(1-tax)

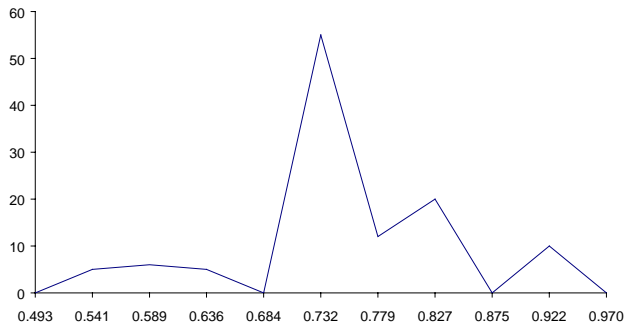


α_{42} U : constant

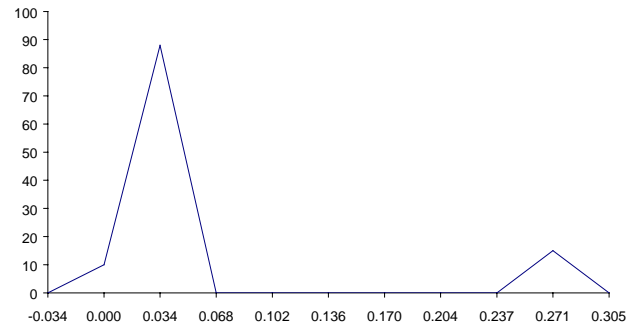


LARGE MODEL ANNEX

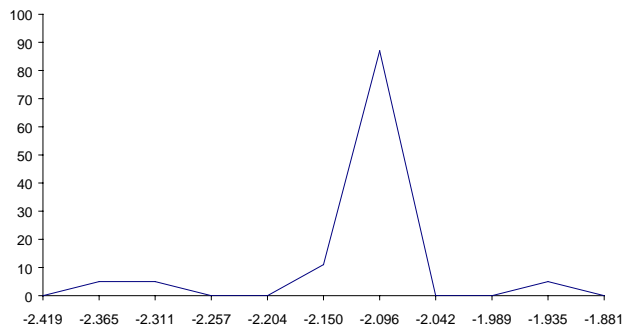
α_4 RXR : $\log(rw)+\log(1+bo)+\log(1+vat)$



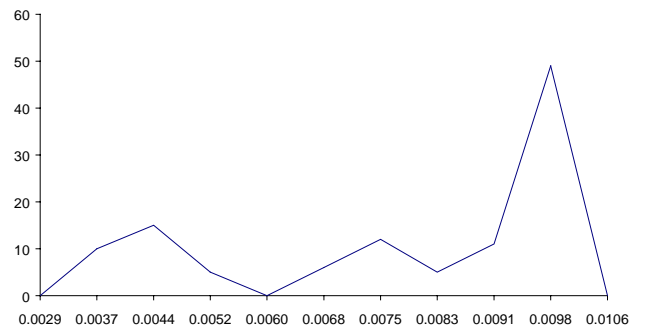
α_{36} U : autocorrelation coefficient



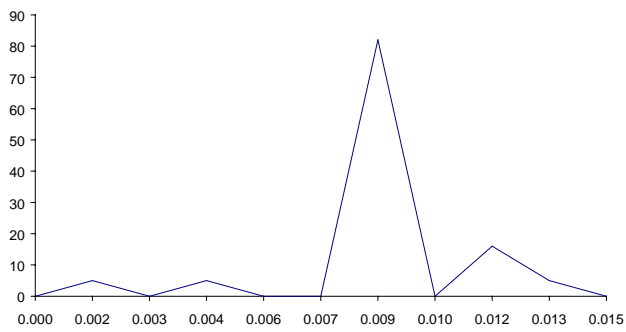
α_3 U : $\log(Y)$



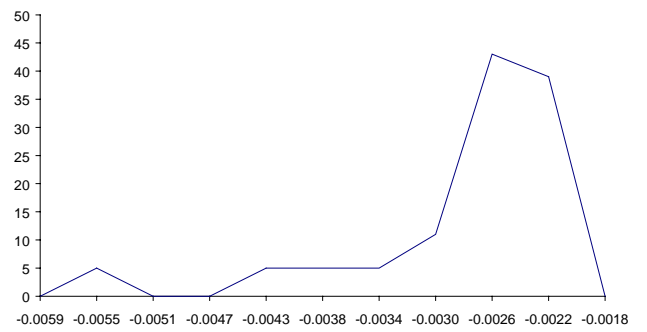
α_{45} G : constant



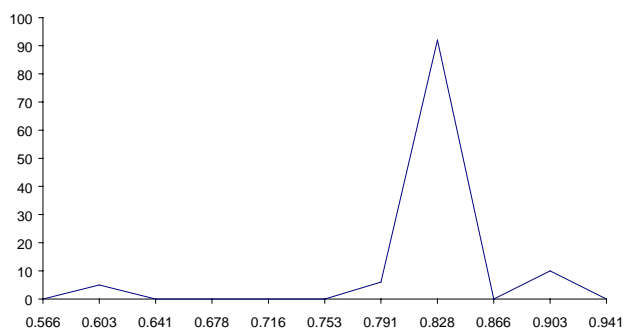
α_5 U : Trend



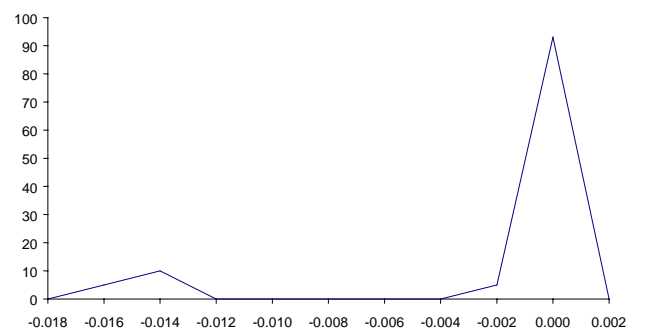
α_{20} G : $\log(g[-1])-\log(fin[-1])$



α_6 U : lagged dependent variable

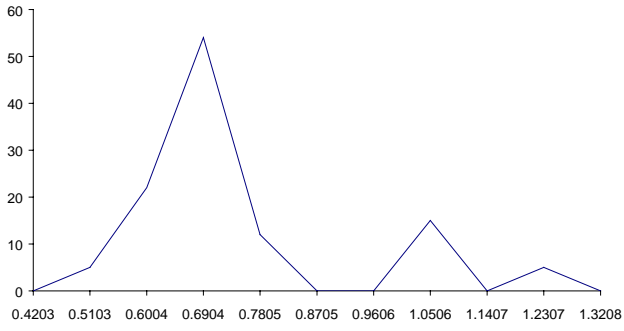


α_{19} G : RL

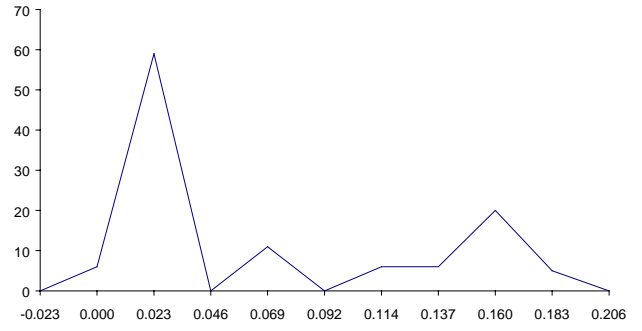


LARGE MODEL ANNEX

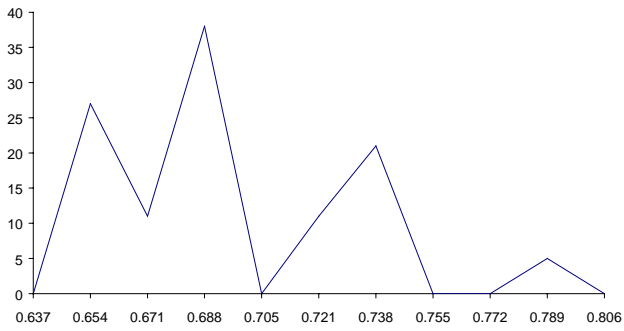
α21 G : D log(G[-1])



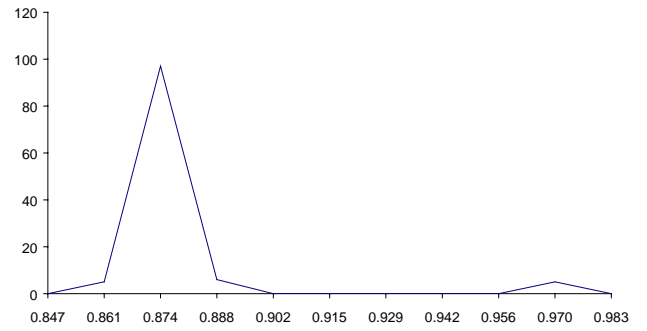
α24 CON : log(QEXP)



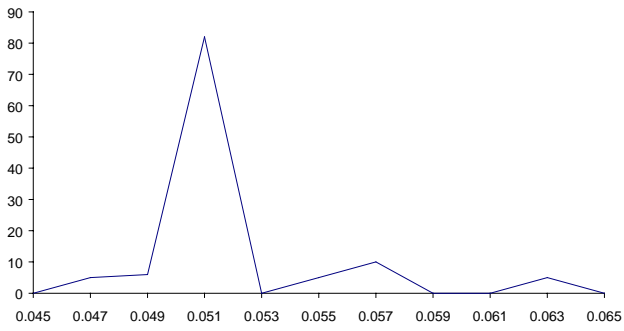
α46 CON : constant



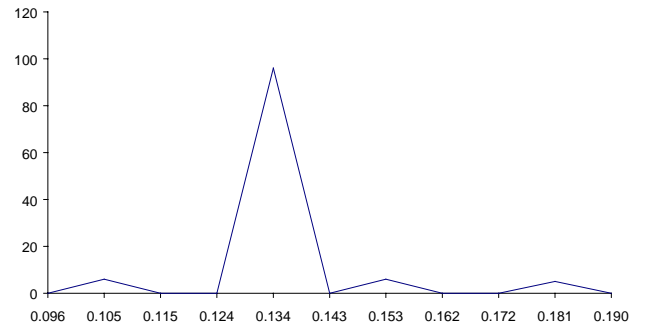
α25 CON : log(CON)



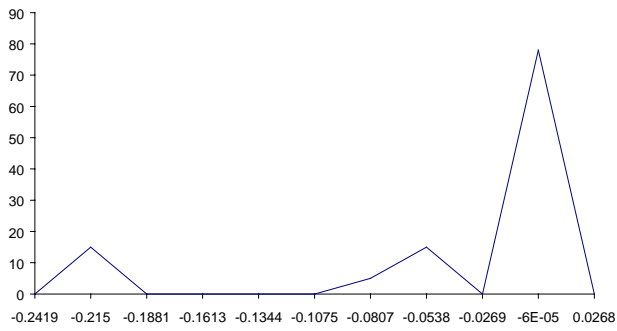
α23 CON : W



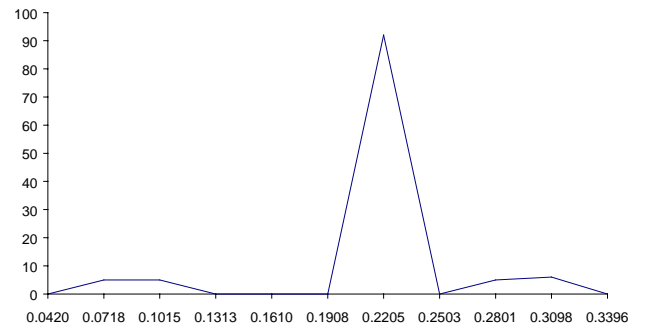
α43 RW : constant



α22 CON : RL

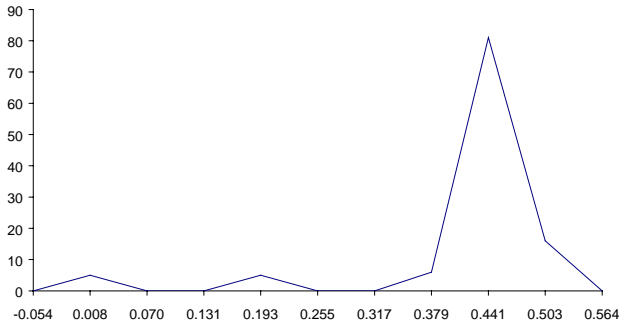


α8 RW : log(ub)+log(1+lo)

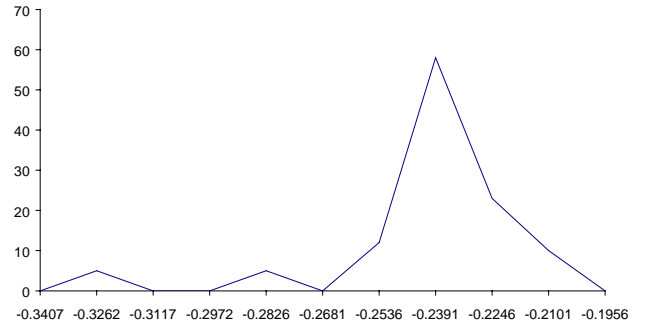


LARGE MODEL ANNEX

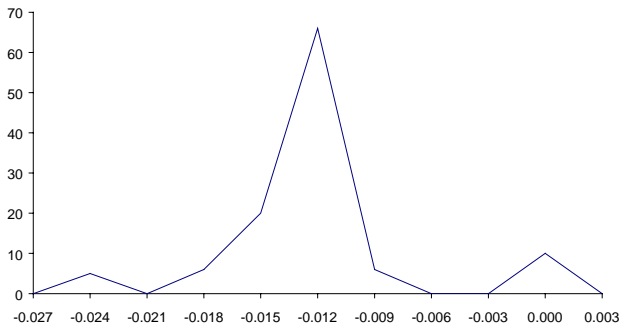
α_7 RW : UNR



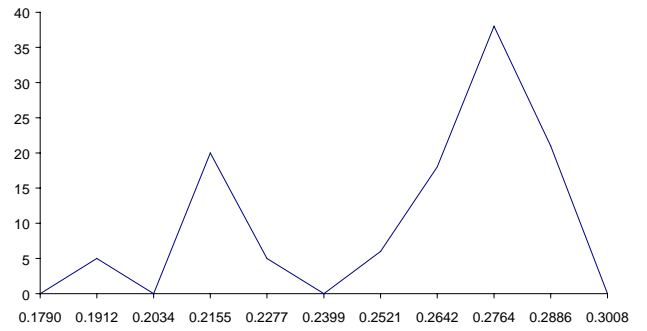
α_{10} RW : $\log(rw[-2])$



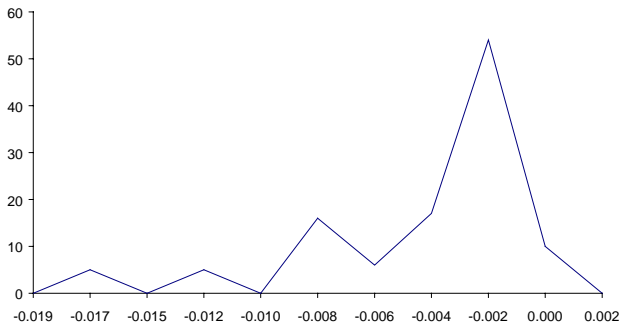
α_9 RW : $\log(usen)$



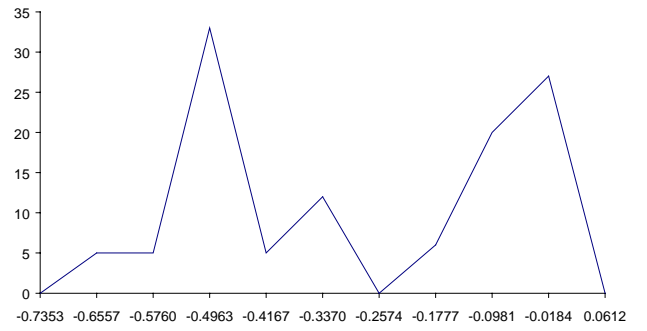
α_{12} RW : $\text{ETA}[-1]$



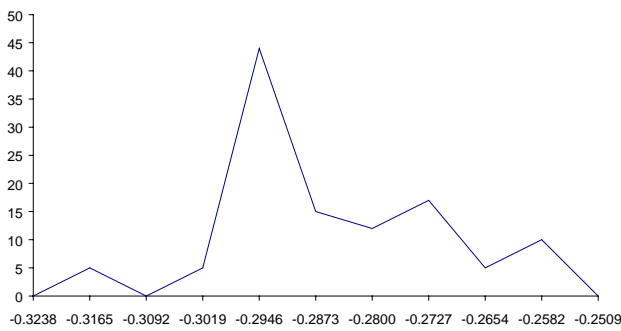
α_{37} RW : $\text{RW}[-1]$



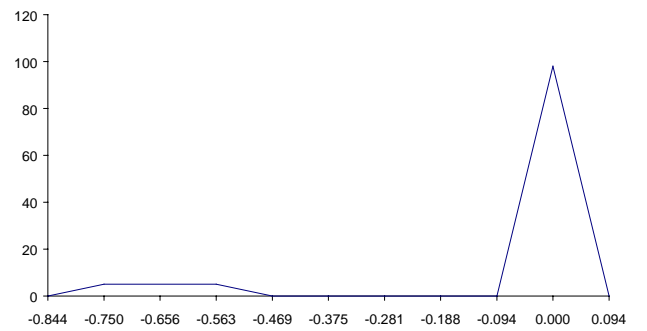
α_{41} RXR : constant



α_{11} RW : ETA

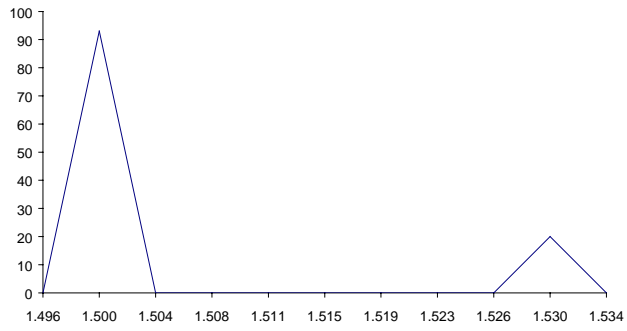


α_{53} RXR : $\Delta_4 \log(P)$

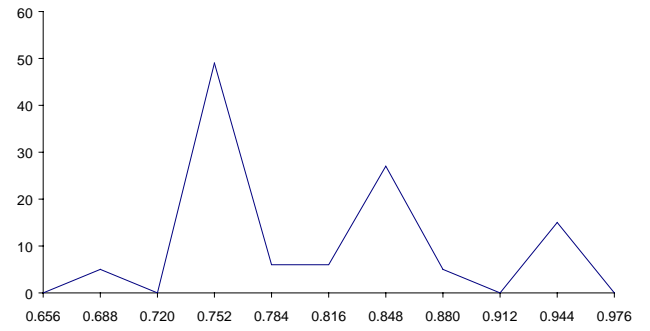


LARGE MODEL ANNEX

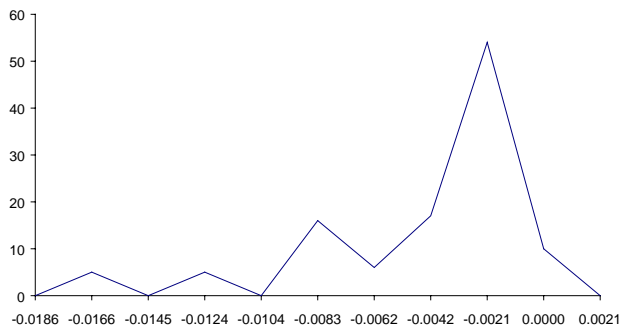
α_1 RXR : $\log(\text{wsen})+\log(1+\text{bo})+\log(1+\text{vat})$



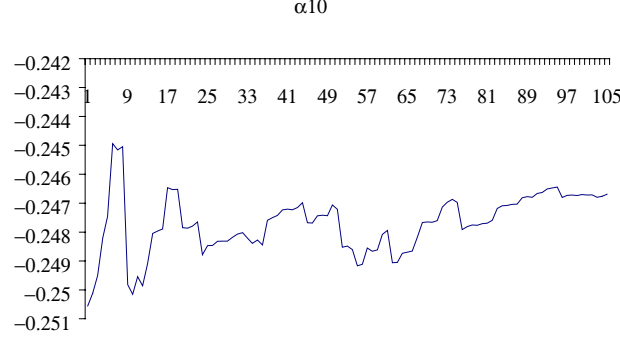
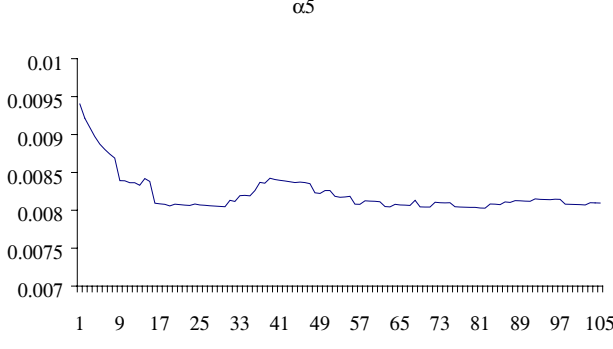
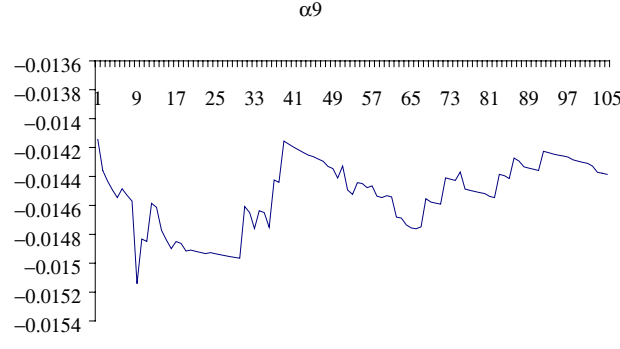
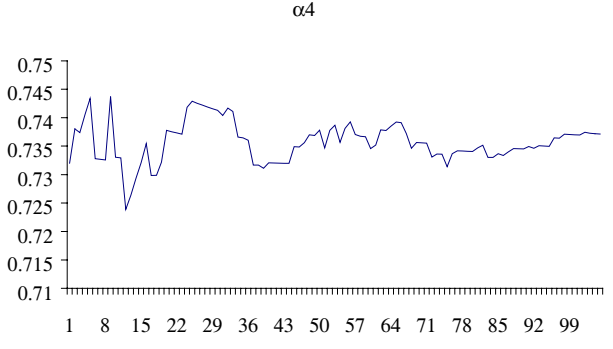
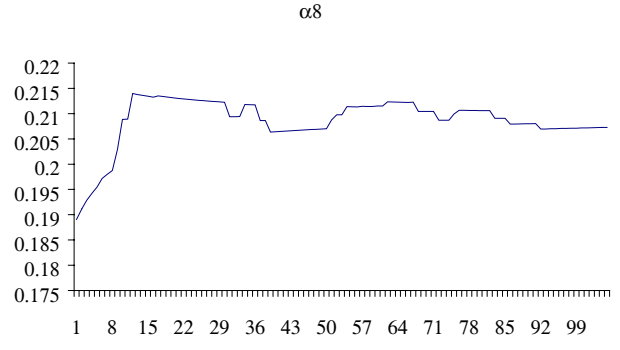
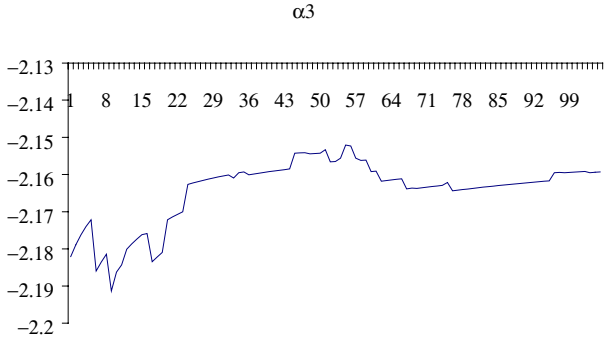
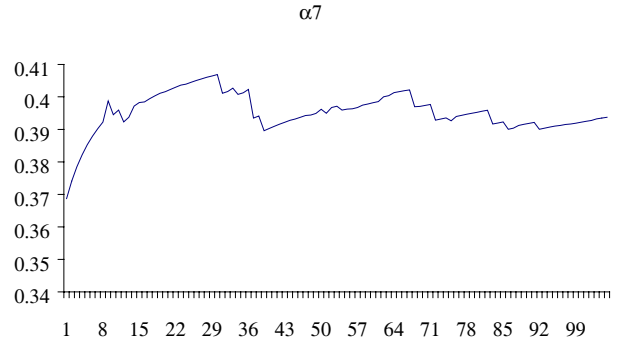
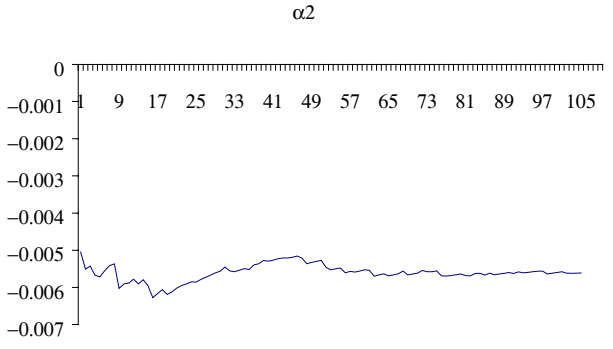
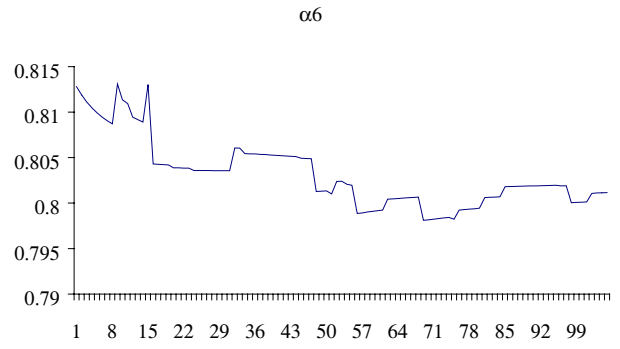
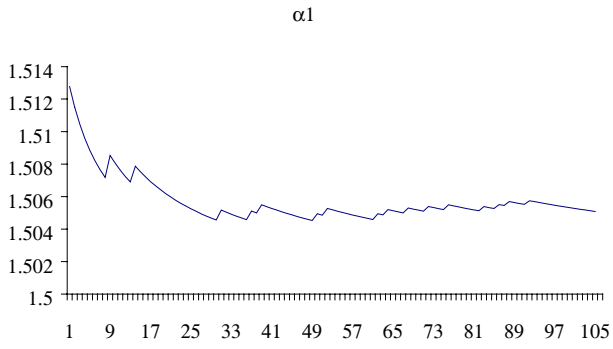
α_{35} RXR : autocorrelation coefficient



α_2 RXR : Trend

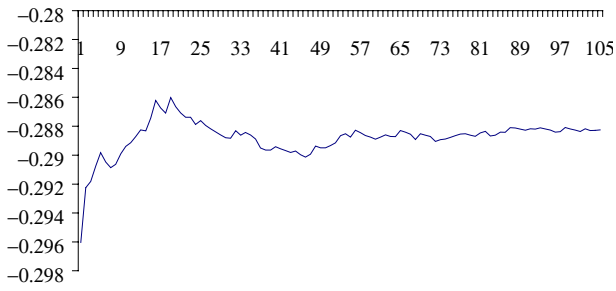


Large Model convergence of parameters as number of bootstraps increases

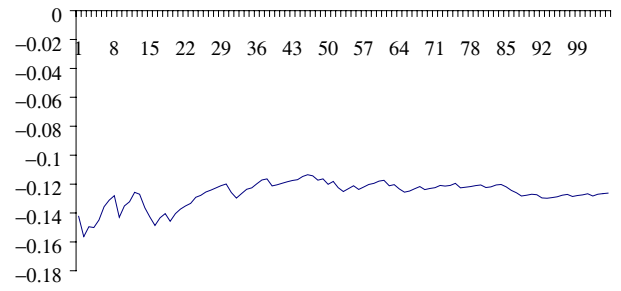


Large Model convergence of parameters as number of bootstraps increases

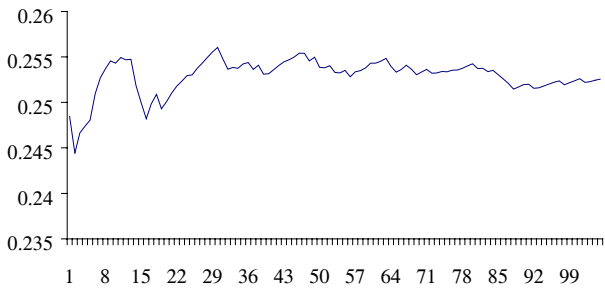
α_{11}



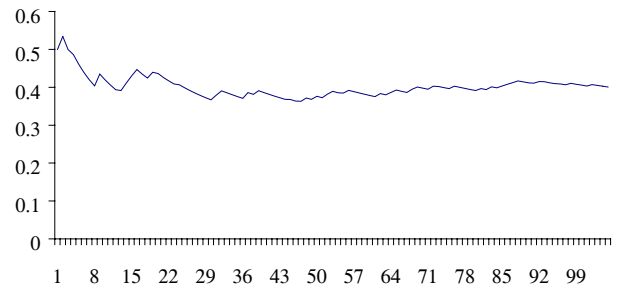
α_{17}



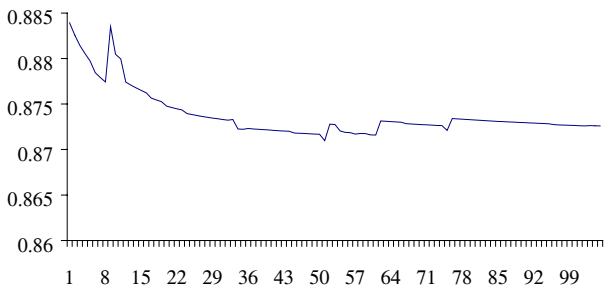
α_{12}



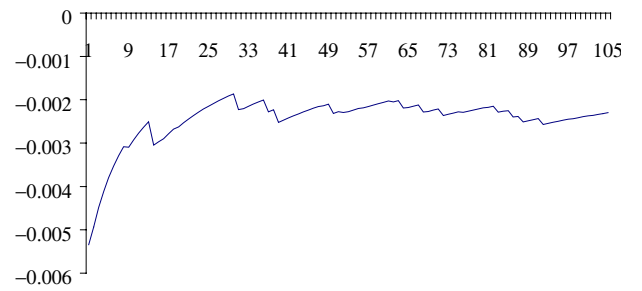
α_{18}



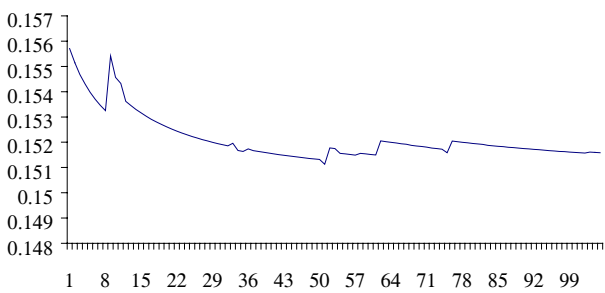
α_{13}



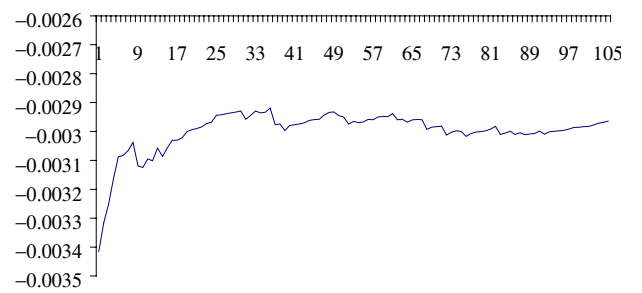
α_{19}



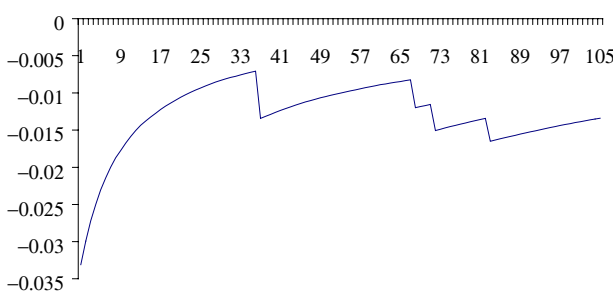
α_{14}



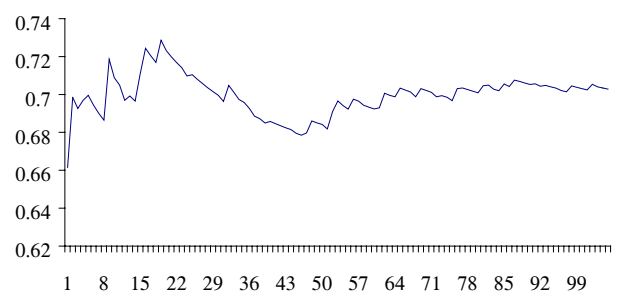
α_{20}



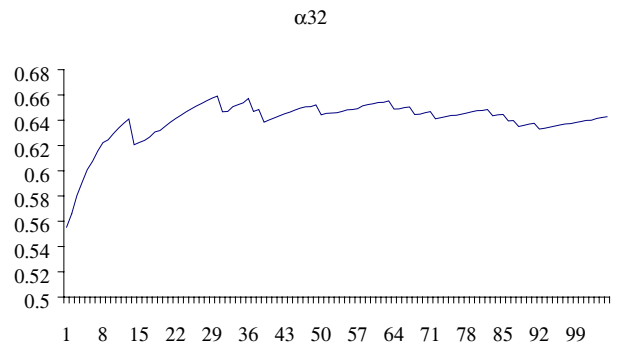
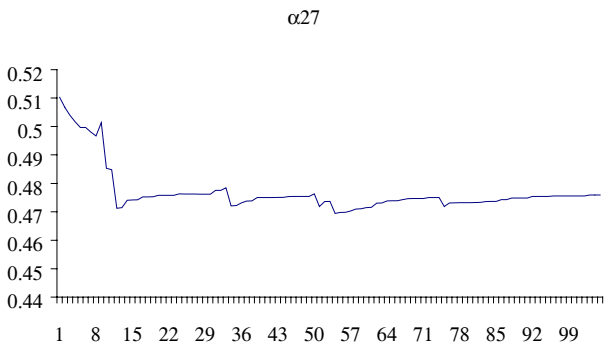
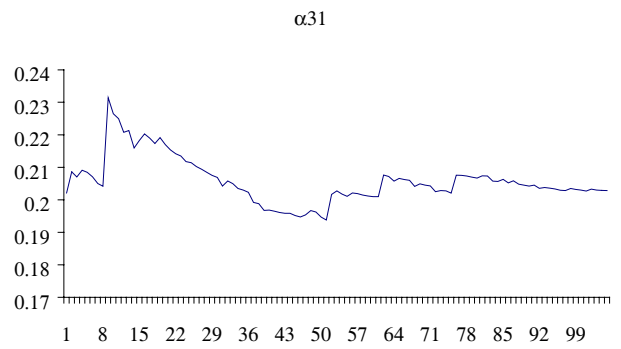
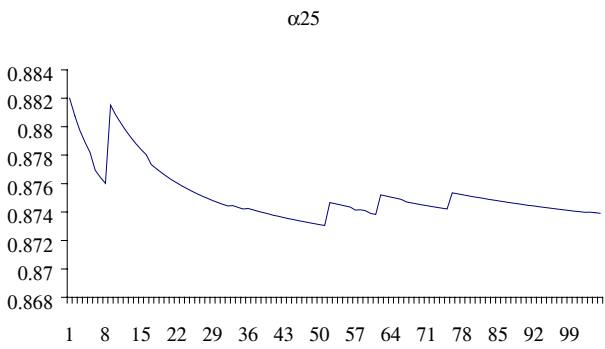
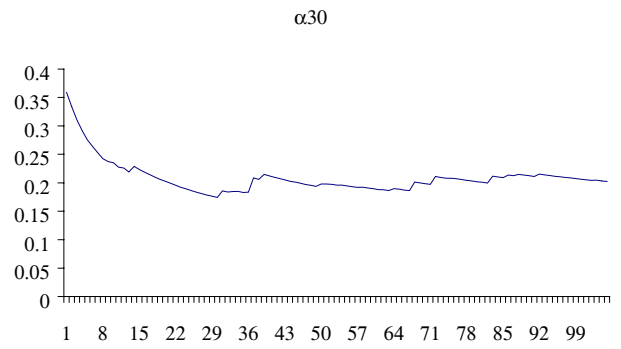
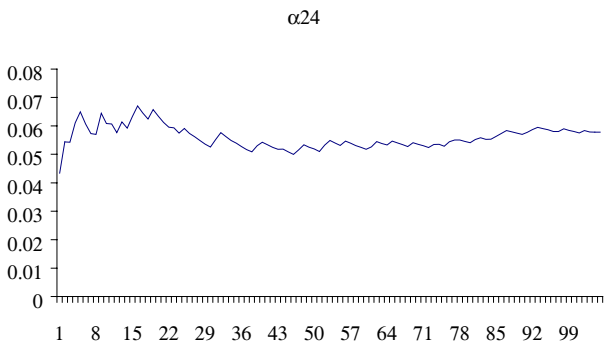
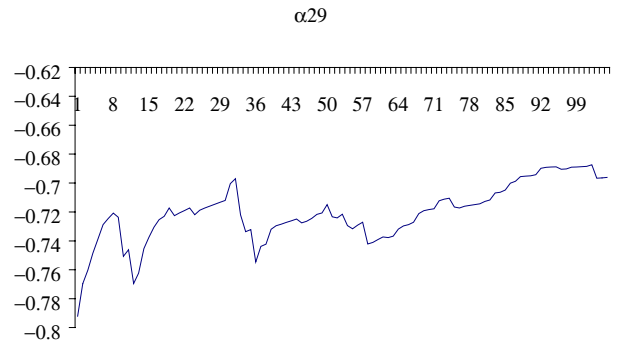
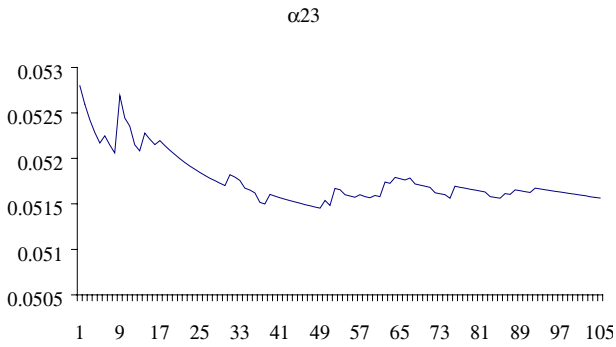
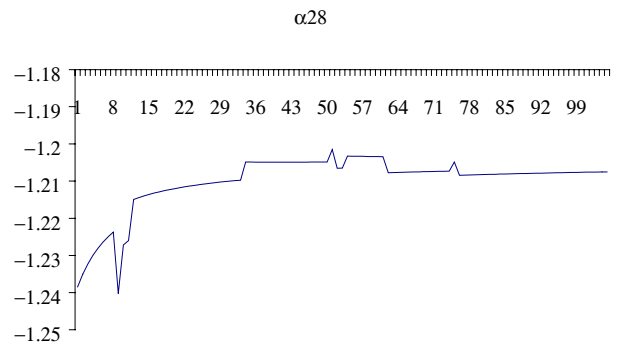
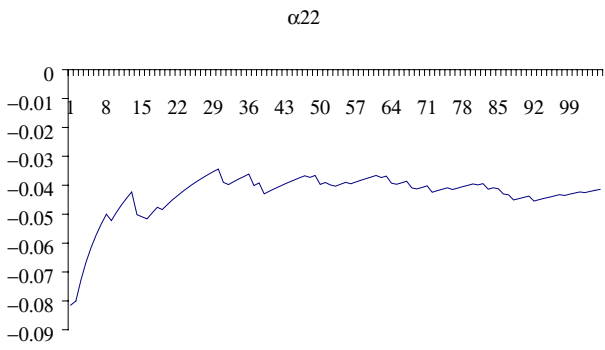
α_{16}



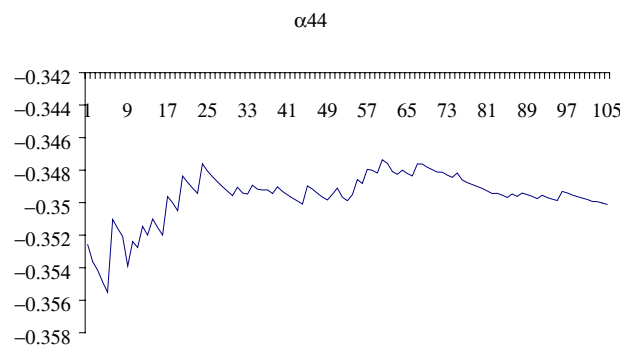
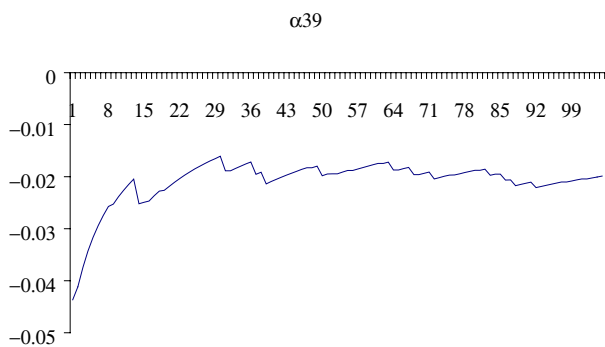
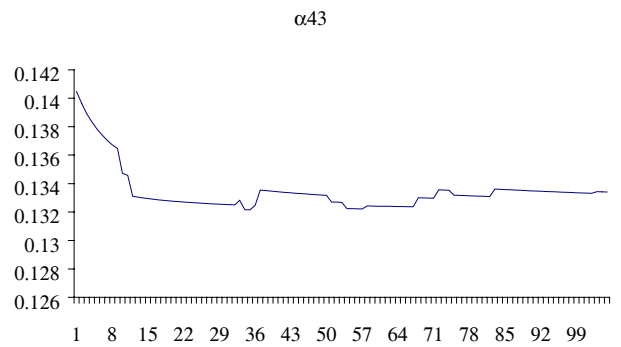
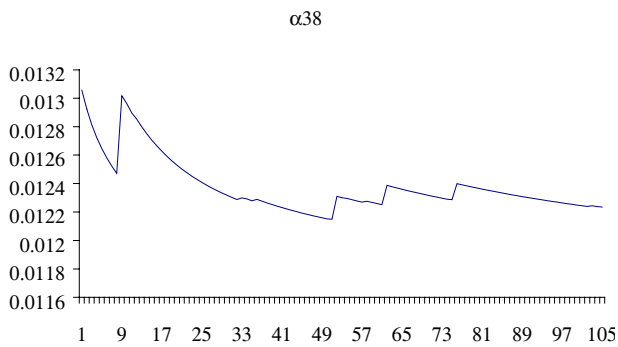
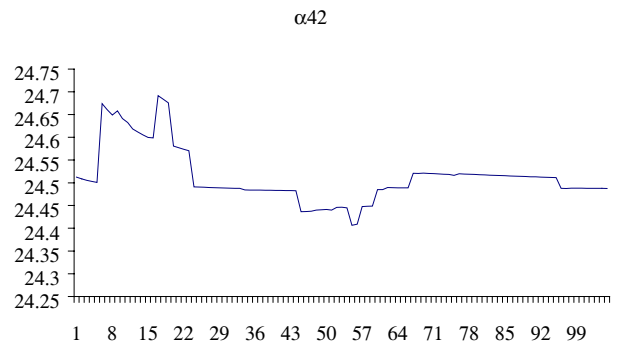
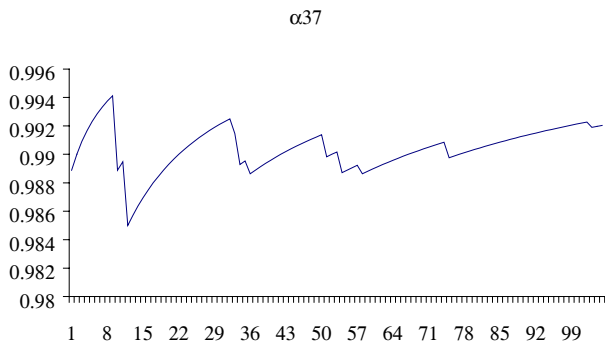
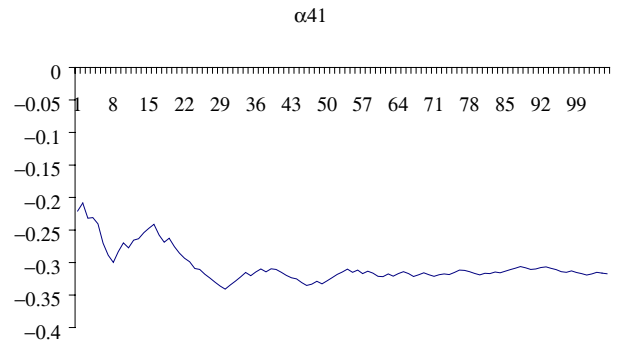
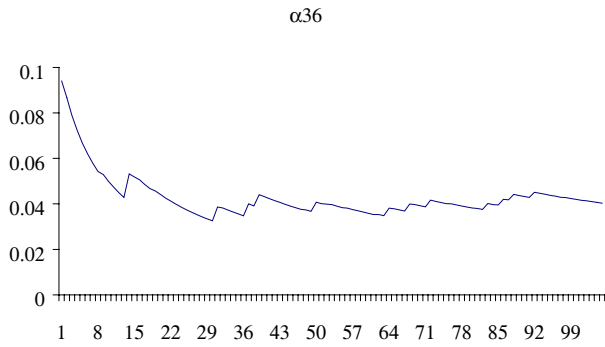
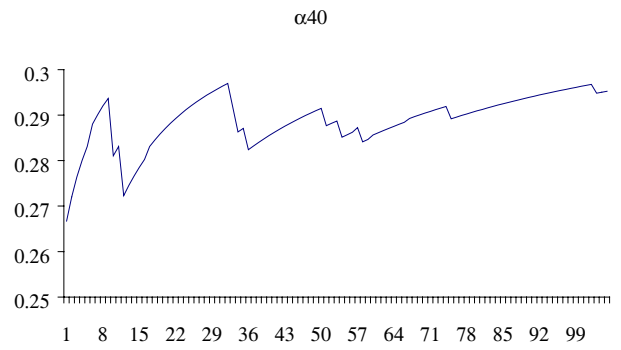
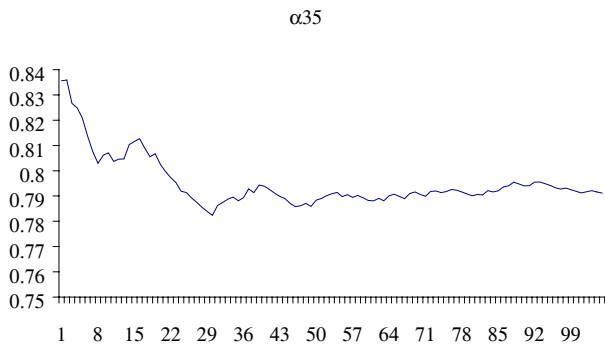
α_{21}



Large Model convergence of parameters as number of bootstraps increases

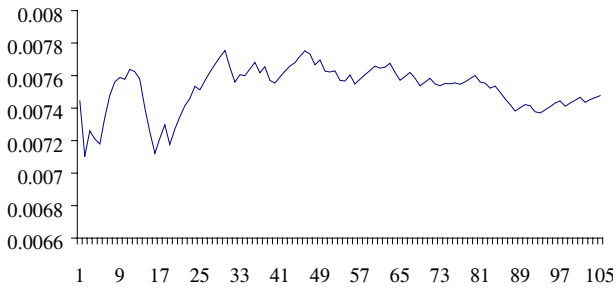


Large Model convergence of parameters as number of bootstraps increases

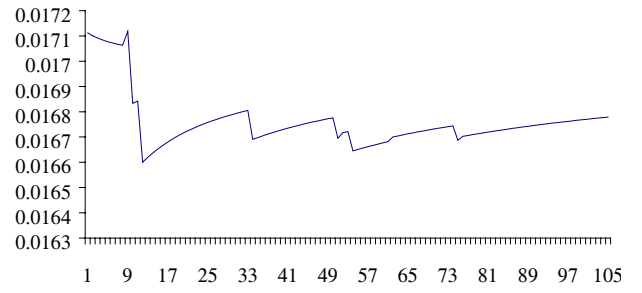


Large Model convergence of parameters as number of bootstraps increases

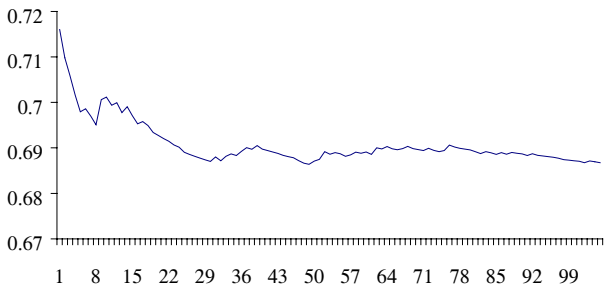
α_{45}



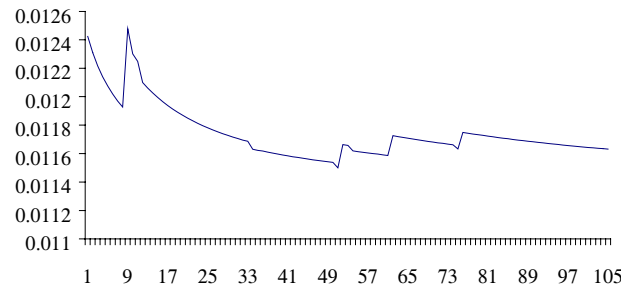
α_{50}



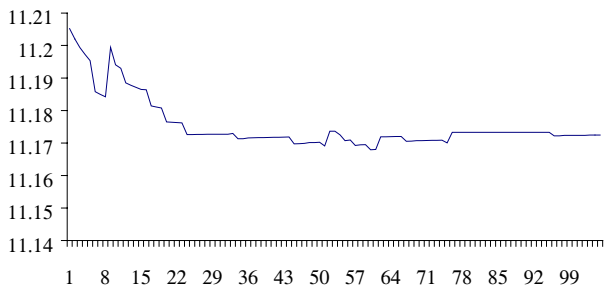
α_{46}



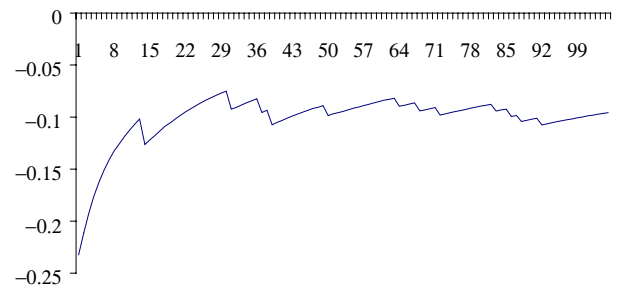
α_{51}



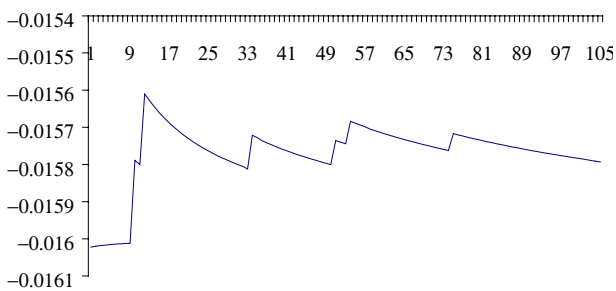
α_{47}



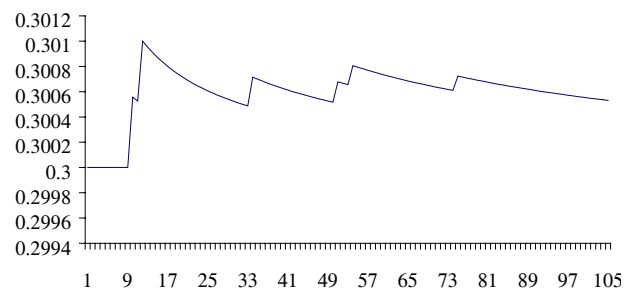
α_{53}



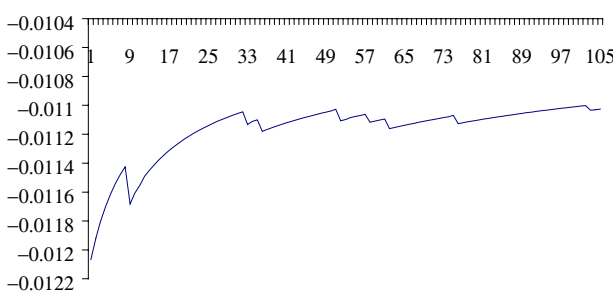
α_{48}



α_{54}

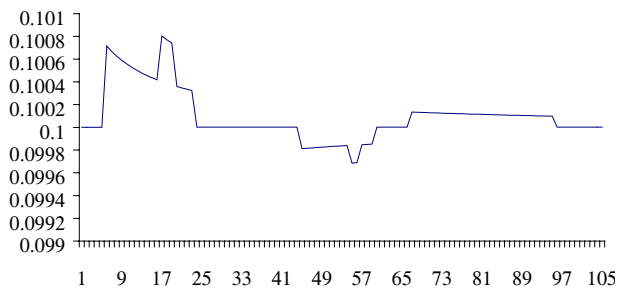


α_{49}



Large Model convergence of parameters as number of bootstraps increases

α_{55}



α_{58}

